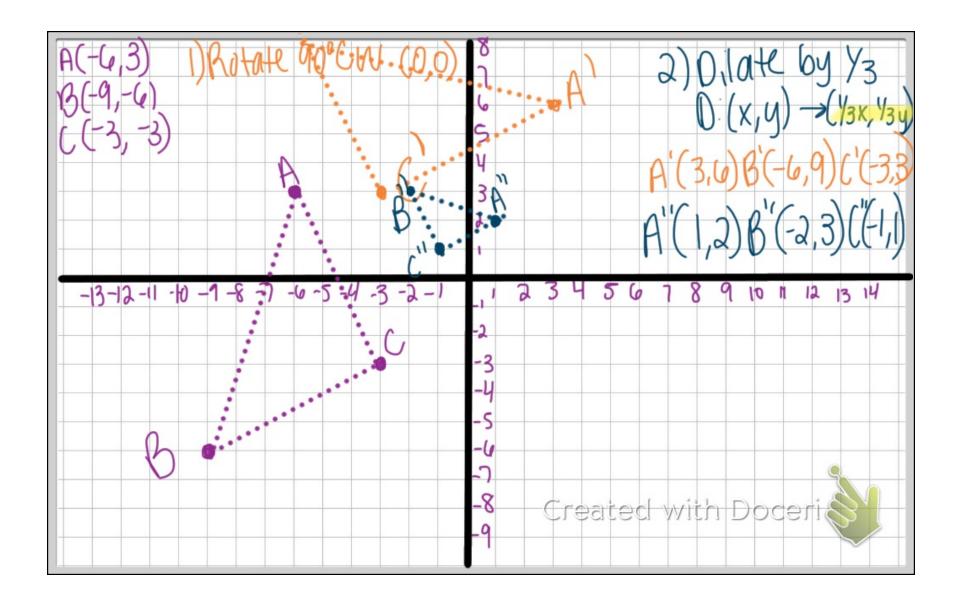
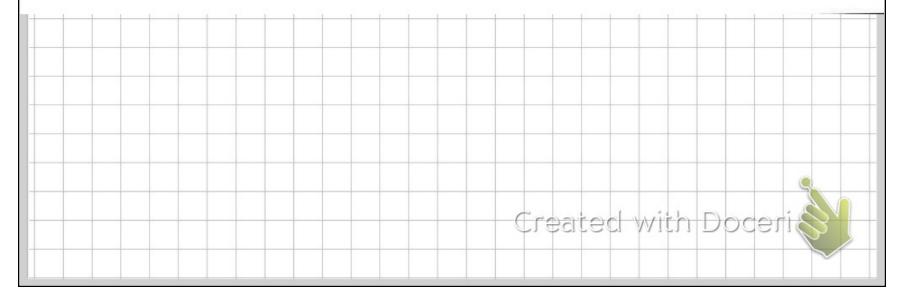
Jomposition of Transformations Created with Doceri

Unit 1 – Geometric Transformations	DatePd
Lesson 7 - Compositions of Transformations	م دا ا د د
A composition is a sequence of	
> Composition of Motions with Algebraic Rules	
Using your algebraic rules, write a new rule after both transformations have taken place.	
1) Translate a triangle 4 units right and 2 units up, and then reflect the triangle over the line $y = x$ . $(x, y) - (x+4, y+2) - (x+4) + (x+4)$	
2) Rotate a triangle 90 degrees counterclockwise, and then dilate the figure by a scale factor of 3.	
3) Translate a triangle 4 units left and 2 units down, and then reflect the triangle over the $y-axis$ .	
4) Rotate a triangle 90 degrees clockwise, and then dilate the figure by a scale factor of $1/3$ .	
$\beta(-6,3) \beta(-9)$	Created with Doceri

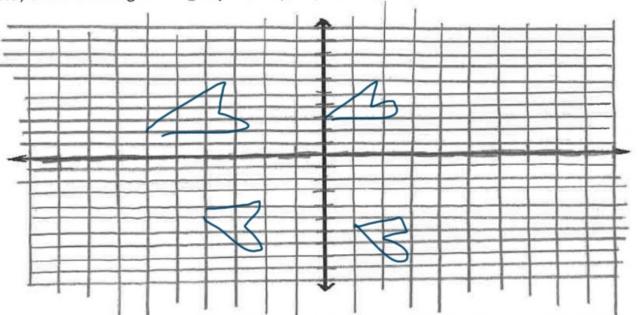


- 5) Translate a triangle 4 units right and 2 units down, and then reflect the triangle over the x-axis.
- 6) Rotate a triangle 180 degrees counterclockwise, and then dilate the figure by a scale factor of 2.
- 7) Translate a triangle 4 units left and 2 units up, and then reflect the triangle over the line y = x.
- 8) Rotate a triangle 180 degrees clockwise, and then dilate the figure by a scale factor of  $^{1}/_{2}$ .



a. On a coordinate grid, draw a triangle using A(-9, -2), B(-6, -1), C(-6, -3) to represent a duck foot





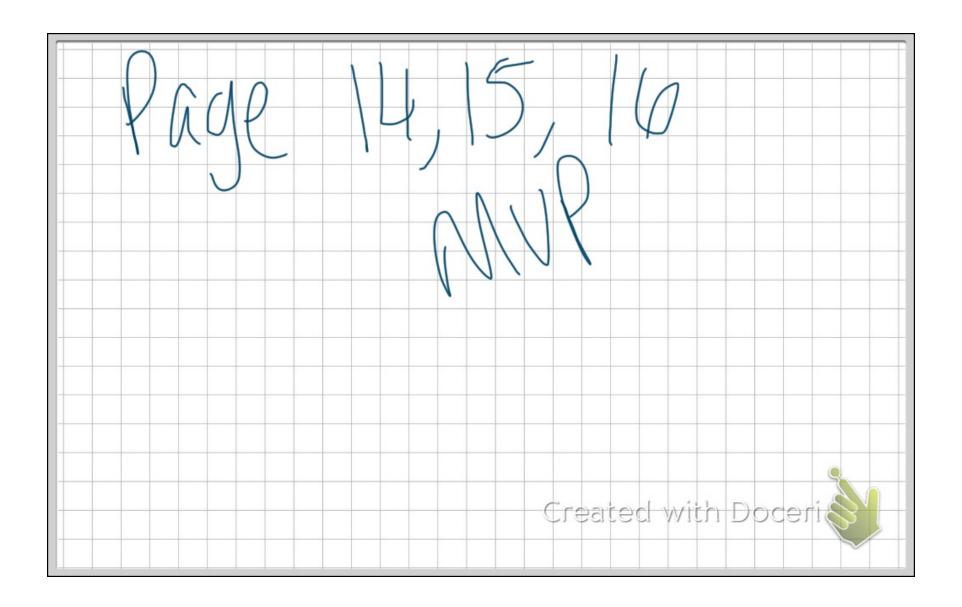
**5.** Transform  $\triangle ABC$  using  $R_{x-axis}$ , followed by  $T:(x,y)\to (x+5,y)$ . Label the final image  $\triangle A'B'C'$ .

. Write a coordinate rule for this composite transformation.

Now apply the coordinate rule you gave in Part c two more times to ΔA'B'C'.



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D/C CORRESPONDING anchor points are equidistant from the line of reflection as proven with right bis & the Pythagorean Theorem, AND thry both lie along a line with opposite reciprocal slope (perpendicular) to the given line of reflector

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