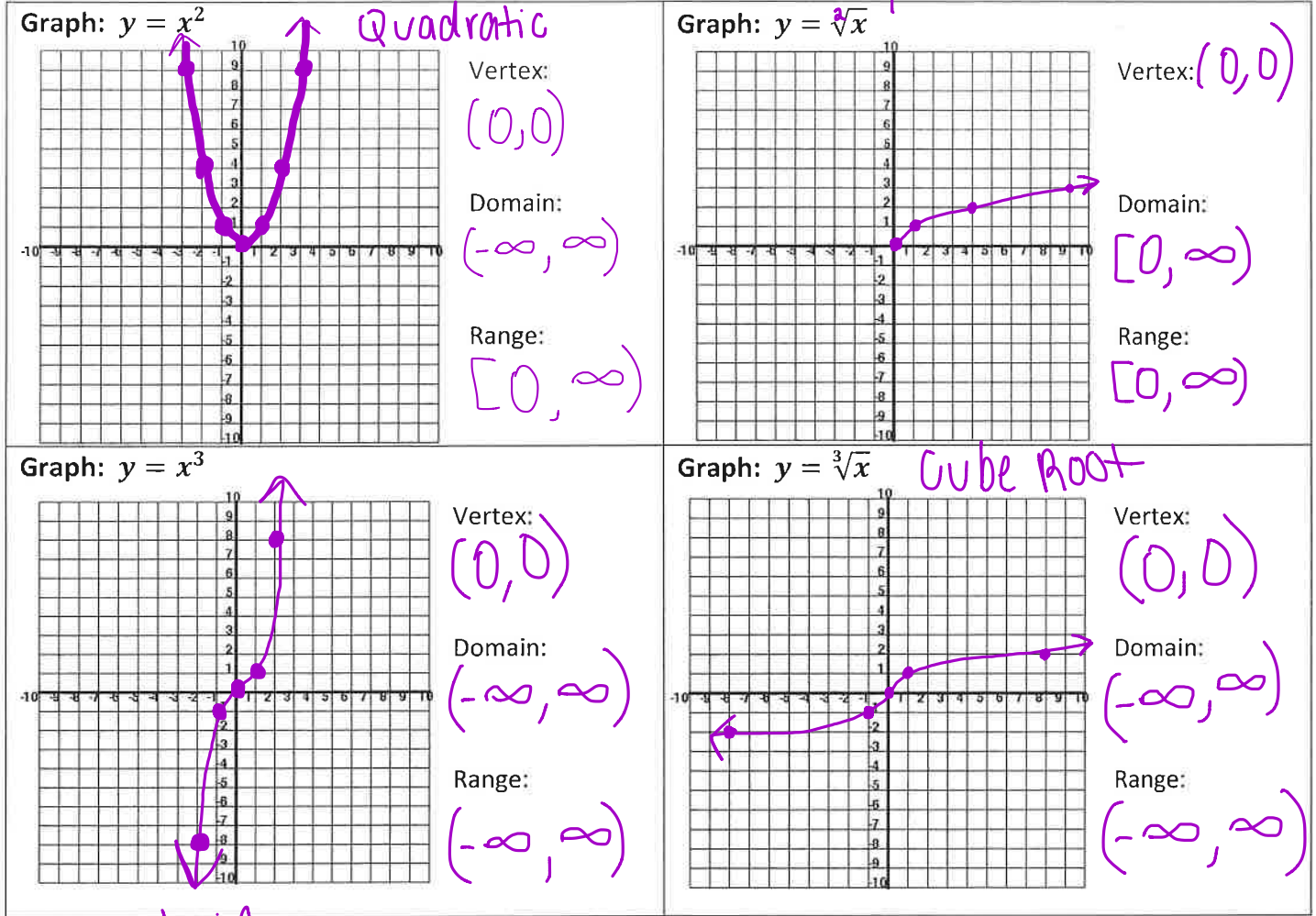


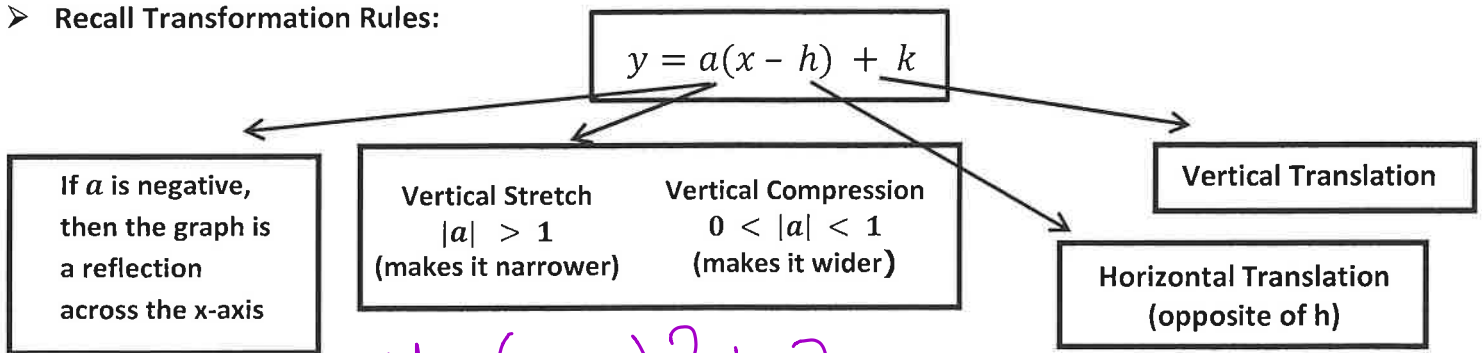
➤ Graphs of Parent Functions:

Square root



Cubic

➤ Recall Transformation Rules:

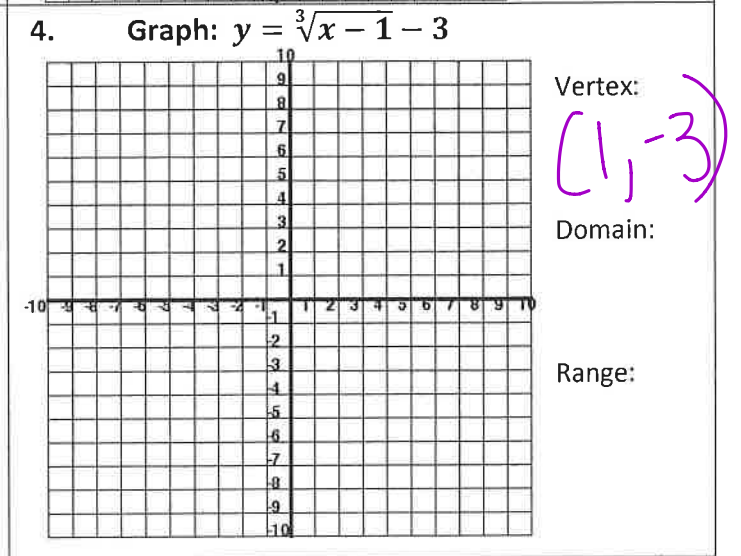
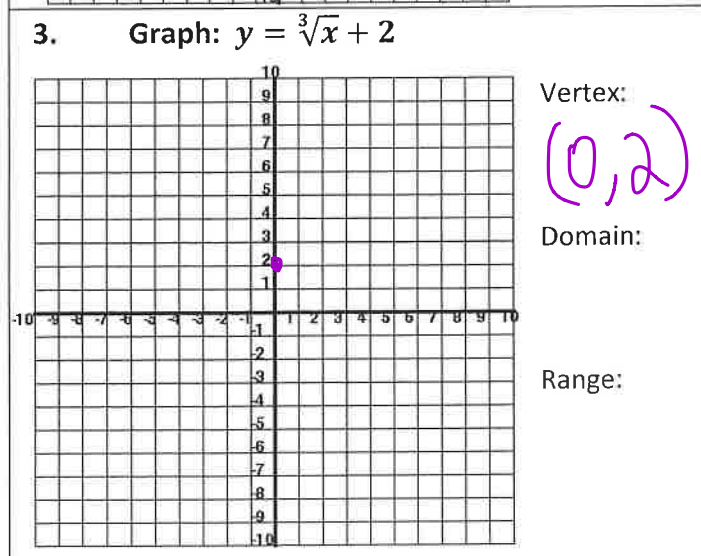
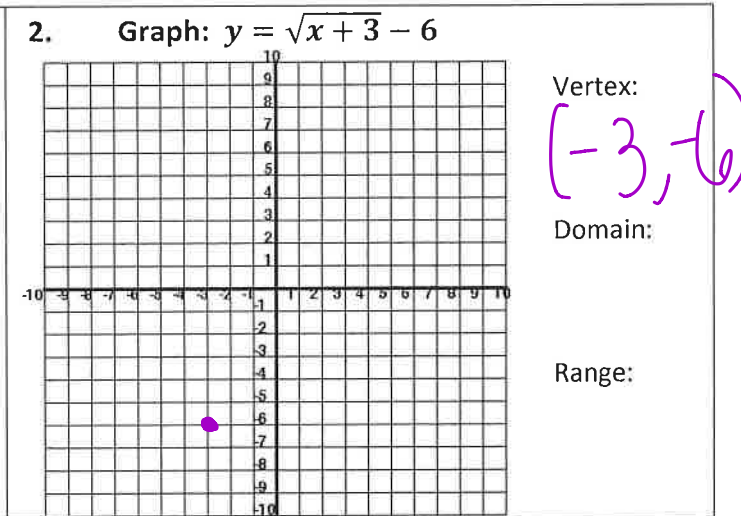
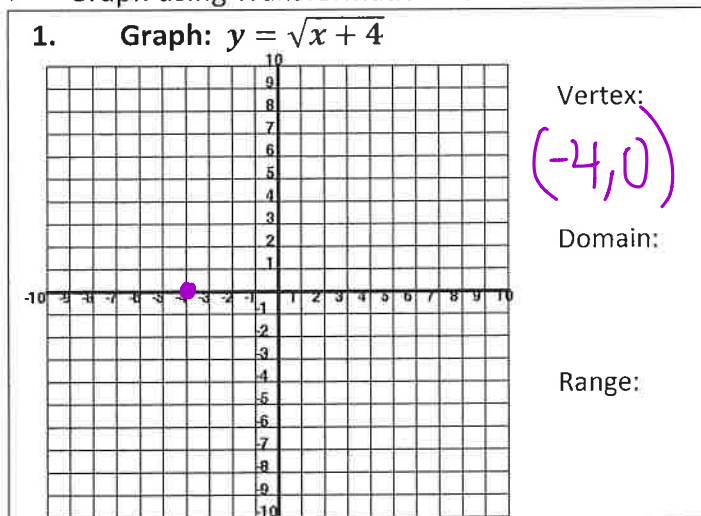


$y = (x - 3)^2 + 2$
 \downarrow R3 U2

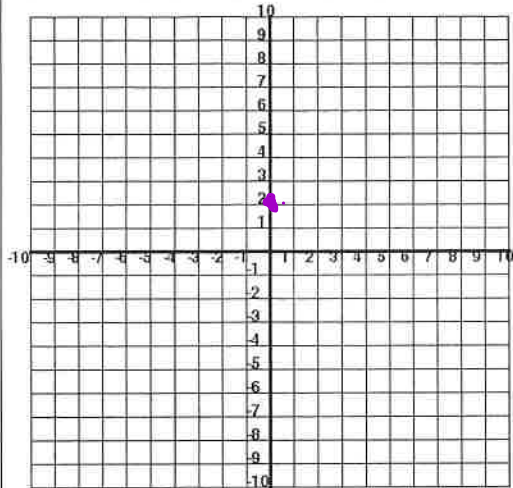
Quadratic Function	Vertex	Shift Left or Right	Shift Up or Down
$y = (x - 3)^2 + 6$	(3,6)	Right ³	Up 6
$y = (x + 1)^2$	(-1,0)	L1	/
$y = x^2 - 4$	(0,-4)	/	D4
Square Root Function	Vertex	Shift Left or Right	Shift Up or Down
$y = \sqrt{x - 2} + 5$	(2,5)	R2	U5
$y = \sqrt{x} - 1$	(0,-1)	/	D1
$y = \sqrt{x + 3}$	(-3,0)	L3	/

Cubic Function	Vertex	Shift Left or Right	Shift Up or Down
$y = (x + 2)^3 - 5$	(-2,-5)	L2	D5
$y = x^3 + 7$	(0,7)	/	U7
$y = (x - 8)^3$	(8,0)	R8	/
Cube Root Function	Vertex	Shift Left or Right	Shift Up or Down
$y = \sqrt[3]{x} - 9$	(0,-9)	/	D9
$y = \sqrt[3]{x + 2} + 4$	(-2,4)	L2	U4
$y = \sqrt[3]{x - 8}$	(8,0)	R8	/

➤ Graph using Transformation Rules:



5. Graph: $y = -\sqrt{x} + 2$

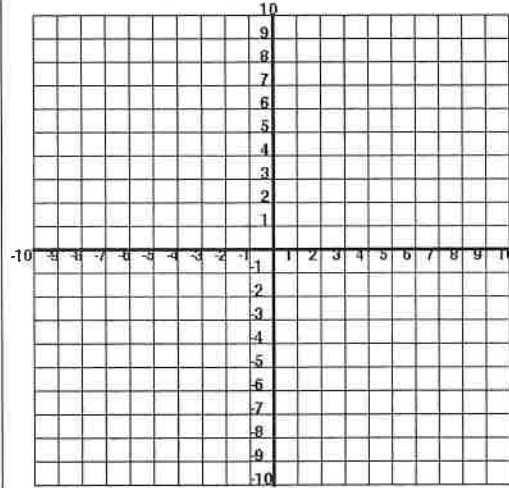


Vertex:
 $(0, 2)$

Domain:

Range:

6. Graph: $y = -\sqrt[3]{x+1}$



Vertex:
 $(-1, 0)$

Domain:

Range:

7. Write the equation of a **square root** function with a vertex at $(-5, 3)$.

$$y = -\sqrt{x+5} + 3$$

8. Write the equation of a **square root** function that has been translated right ten units and up six units.

$$y = -\sqrt{x-10} + 6$$

9. Write the equation of a **cube root** function that has been translated left three units and down two units.

$$y = \sqrt[3]{x+3} - 2$$

10. Write the equation of a **square root** function that has been translated right four units and reflected across the x -axis.

$$y = -\sqrt{x-4}$$